//__ Jender Heart High School, Sec-33B, Chandiger Date - 23.12.2024 Jeacher - Ms. Sushma Class – VI Subject – Mathematics Chapter - 2.2. "Construction." We use a ruler and a divider to measure and compare a line segment and we use a protractor to measure an angle. Jips for Neat and Accurate Construction. Keep the following tips in mind while doing constructions. The instruments should be in good condition i.e. marking on ruler, protractor, and a set squares should be clearly visible and have Divider and compass should have sharp tips.
Jhe pencil should be sharpened properly and always maintain pointed tips.
Marking of points or drawing of lines should be neat and thin. fine edges. ⇒ Separate pencils should be used for compass and drawing lines. <u>Construction of a line Segment:></u> <u>A line segment</u> is the shortest distance between two points or the line joining two points.

Construction of a Line Segment

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Construction of a Line Segment of a Given Length

Let us construct a line segment of 4.5 cm length using a ruler and a compass through the following steps. Using a Ruler

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- Step 1: Mark a point P on a paper.
- Step 2: Place the ruler so that the zero (0) mark of the ruler coincides with the point P. Now, mark another point Q on the paper against the 5 small divisions just after the 4 cm mark.
- Step 3: Join points P and Q along the edge of the ruler. Thus, $\overline{PQ} = 4.5$ cm.

Using a Compass

Step 1: Draw a line *l*. Mark point A on it.



Step 3: Without changing the measures of the compass, place the pointer of compass at point A on line l and draw an arc of radius 4.5 cm, which cuts line l at B.

Thus, \overline{AB} is the required line segment, i.e., $\overline{AB} = 4.5$ cm.

Construction of a Line Segment Equal to the Given Line Segment

Let us draw line segment \overline{PQ} whose length is equal to the given \overline{AB} .

Step 1: Draw a line, say \overrightarrow{PL} , longer than \overrightarrow{AB} , whose length is not known.



Step 2: Fix the compass pointer on point A of AB and stretch its end to point B. The opening of the compass now gives the length of \overline{AB} .











the same radius draw two arcs which cut the previous arcs at P and Q respectively.







Thus, \overline{PQ} is the required perpendicular bisector of line segment \overline{AB} .

Construction of a Perpendicular Line

We know that two lines (or rays or segments) are said to bse perpendicular if 90° they intersect each other at right angles. In the given figure, lines *l* and *m* intersects at O and form a right angle, i.e., $\angle 90^{\circ}$. 0 So, lines *l* and *m* are perpendicular to each other. They can be represented as $l \perp m$. 🕈 m Let us now learn to construct perpendicular lines.

Using a Ruler and a Compass

